



Higgs精细测量与味物理

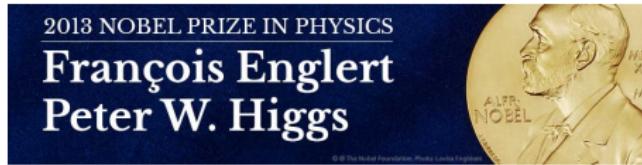
一个超对称模型的例子

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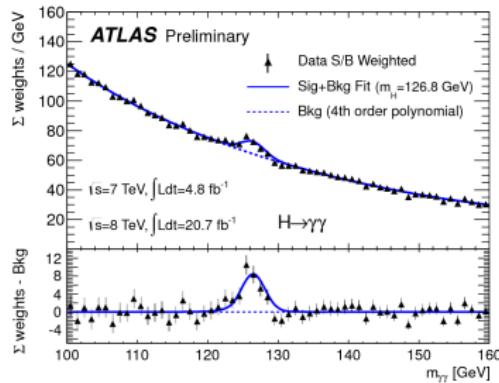
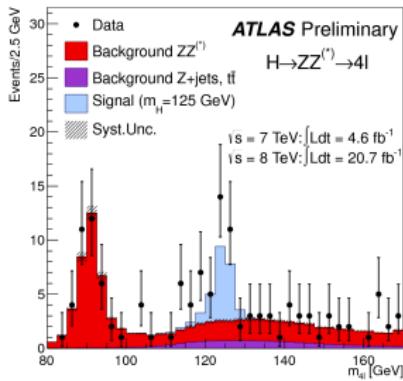


2013年诺贝尔物理学奖被授予比利时物理学家François Englert与英国物理学家Peter W. Higgs为他们解释基本粒子质量起源机制的贡献及其预言的新粒子Higgs玻色子，该粒子被欧洲核子中心的大型强子对撞机上的ATLAS和CMS两实验组同时探测到。



两个最干净的道支持下的诺贝尔奖

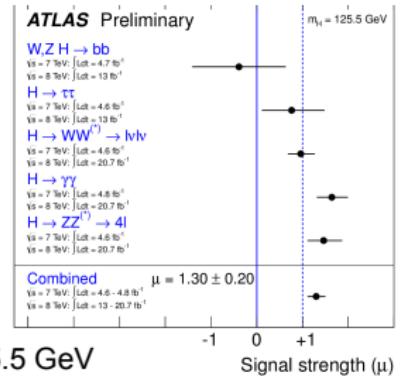
Higgs-like Boson \rightarrow Higgs Boson



标准模型Higgs? Likely

Signal strength

- Combination of
 - $W,Z H \rightarrow bb$ $(4.7 \text{ fb}^{-1} + 13 \text{ fb}^{-1})$
 - $H \rightarrow \tau\tau$ $(4.6 \text{ fb}^{-1} + 13 \text{ fb}^{-1})$
 - $H \rightarrow WW^{(*)} \rightarrow ll\nu\nu$ $(4.6 \text{ fb}^{-1} + 20.7 \text{ fb}^{-1})$ **Update today!**
 - $H \rightarrow \gamma\gamma$ $(4.8 \text{ fb}^{-1} + 20.7 \text{ fb}^{-1})$ **Update last week!**
 - $H \rightarrow ZZ^{(*)} \rightarrow 4l$ $(4.6 \text{ fb}^{-1} + 20.7 \text{ fb}^{-1})$ **Update last week!**
- Signal strength $\mu = \sigma/\sigma_{\text{SM}}$ measured assuming $m_H=125.5 \text{ GeV}$
 - Only $\pm 4\%$ change to combined μ for $\pm 1 \text{ GeV}$
- Combined $\mu = 1.30 \pm 0.13 \text{ (stat)} \pm 0.14 \text{ (sys)}$
- Compatibility between measurements and SM ($\mu=1$)
 - Common μ vs SM: 9%
 - with rectangular QCD scale/PDF constraints: 40%
 - All $\mu_{bb}, \mu_{\tau\tau}, \mu_{WW}, \mu_{\gamma\gamma}, \mu_{ZZ}$ vs $\mu=1$: 8% (5 d.o.f)
 - All $\mu_{bb}, \mu_{\tau\tau}, \mu_{WW}, \mu_{\gamma\gamma}, \mu_{ZZ}$ vs $\mu=1.30$: 13% (4 d.o.f)
- ATLAS also sets limits (95%CL; not used in combination):
 - $H \rightarrow \mu\mu$: $\mu < 9.8$ (20.7 fb^{-1}) **New last week!**
 - $H \rightarrow Z\gamma$: $\mu < 18.2$ $(4.6 \text{ fb}^{-1} + 20.7 \text{ fb}^{-1})$ **New last week!**

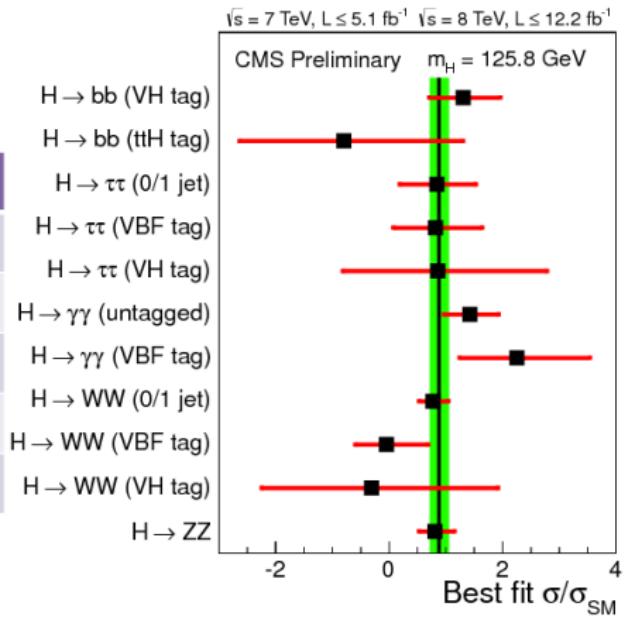


标准模型Higgs? Likely

Signal Strength



	ggH	VBFH	VH	ttH
H → γγ	✓	✓		
H → ZZ	✓			
H → WW	✓	✓	✓	
H → ττ	✓	✓	✓	
H → bb			✓	✓



$$\sigma/\sigma_{\text{SM}} = 0.88 \pm 0.21$$



Higgs精细测量与超越标准模型寻找

Higgs工厂项目启动会(CEPC-SPPC)



利用Higgs耦合的精细测量，特别是Yukawa耦合的测量，以检验超越标准模型的存在性。



Yukawa耦合

$$i\bar{Q}_L^i \not{D} Q_L^i + i\bar{u}_R^i \not{D} u_R^i + i\bar{d}_R^i \not{D} d_R^i + \dots$$

$$Q_L^i \rightarrow U_Q^{ij} Q_L^j, \quad u_R^i \rightarrow U_u^{ij} u_R^j, \quad d_R^i \rightarrow U_d^{ij} d_R^j$$

三代费米子, $U(3)_Q \times U(3)_u \times U(3)_d \times U(3)_\ell \times U(3)_e$

$$-y_u^{ij} \bar{Q}_L^i \epsilon H^\dagger u_R^j - y_d^{ij} \bar{Q}_L^i H d_R^j + \dots$$

Yukawa耦合破坏手征对称 $[U(3)]^5 \rightarrow U(1)_B \times U(1)_{\text{Lep}}$

$$\begin{aligned} Q_L^i &\rightarrow e^{i\theta/3} Q_L^i, & u_R^i &\rightarrow e^{i\theta/3} u_R^i, & d_R^i &\rightarrow e^{i\theta/3} d_R^i \\ \ell_L^i &\rightarrow e^{i\phi} \ell_L^i, & e_R^i &\rightarrow e^{i\phi} e_R^i \end{aligned}$$

标准模型费米子质量的产生是 $[U(3)]^5$ 手征对称性和弱电对称性同时破缺的结果。

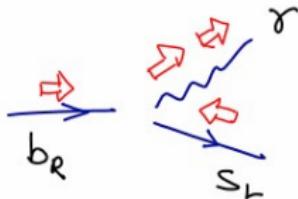


味物理

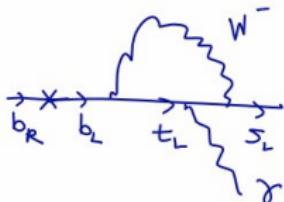
味物理中的稀有衰变过程常见

- Loop压低
- Helicity压低

$$\frac{e}{16\pi^2} m_b (\bar{s}\sigma^{\mu\nu} F_{\mu\nu} P_R b)$$



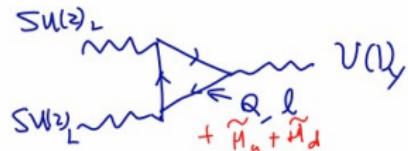
Helicity flip 要求手征对称性 $U(3)_Q \times U(3)_d$ 破缺和弱电对称性破缺，在标准模型中意味着 m_b 。



质量的修正与Higgs扩展：一个超对称的例子

$$m_b = y_b v_d + \Delta m_b$$

超对称标准模型是Type-II 2HDM (Glashow-Weinberg)



$$A_{[SU(2)_L]^2U(1)_Y} = \frac{N_f}{2}(3q + \ell) + \frac{1}{2}(h + \bar{h})$$

$$Qu^c H_u + Qd^c H_d + \ell e^c H_d$$



μ -term in 2HDM

$$\mathcal{W} \ni \mu H_u H_d$$

- If $\mu = 0$, $M_{\tilde{H}^\pm} = 0$
- If $\mu \rightarrow M_{\text{Pl}}$, $m_h \rightarrow M_{\text{Pl}}$
- $\mu \sim \mathcal{O}(\text{TeV})$

假设

$$\mathcal{W} \ni S H_u H_d + \cancel{M_{\text{Pl}} H_u H_d}$$

要求存在一个对称性 $U(1)_X$ 来禁止 bare 的 μ -term

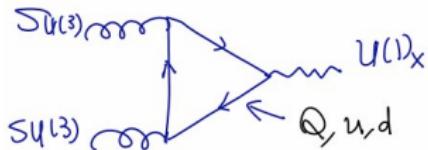
$$s \neq 0, \quad s + h_u + h_d = 0$$

$$\langle S \rangle = \mu \neq 0$$

非零的 $\langle S \rangle$ 破坏了 $U(1)_X$ 对称性



Peccei-Quinn对称性



$$A_{[SU(3)]^2U(1)_X} = \frac{N_f}{2}(2q + u + d)$$

$U(1)_X$ 对称性下

$$Q u^c H_u : q + u + h_u = 0$$

$$Q d^c H_d : q + d + h_d = 0$$

$$S H_u H_d : s + h_u + h_d = 0$$

$$A_{[SU(3)]^2U(1)_X} = \frac{N_f}{2}(2q + u + d) = -\frac{N_f}{2}(h_u + h_d) = \frac{N_f}{2}s$$

$$s \neq 0 \rightarrow A_{[SU(3)]^2U(1)_X} \neq 0$$

Not necessary the same PQ symmetry proposed for Strong CP problem.



Peccei-Quinn对称性破缺

$$W = \mu H_u H_d \quad \cancel{PQ}$$

- Higgsino质量混合 $\mu \tilde{H}_u \tilde{H}_d$
- $y_d \mu^* \tilde{Q} \tilde{d}^c \textcolor{red}{H_u^*}$

$$F_{H_d} = \frac{\partial W}{\partial H_d} = y_d Q d^c + y_e \ell e^c + \mu H_u$$

$$V \ni |F_{H_d}|^2 = y_d \mu^* H_u^* \tilde{Q} \tilde{d} + y_e \mu^* H_u^* \tilde{\ell} \tilde{e}$$

- $B\mu$ 项 $B\mu H_u H_d$



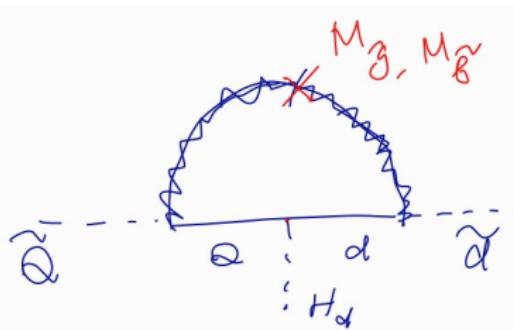
超对称软破缺

$$m_{\tilde{f}}^2 |\tilde{f}|^2 + \frac{1}{2} M_{\frac{1}{2}} \lambda \lambda + A_u \tilde{Q} \tilde{u} H_u + B \mu H_u H_d$$

- 标量粒子的质量 $m^2 \tilde{Q}^\dagger \tilde{Q}$

$$\int d^2\bar{\theta} d^2\theta Q^\dagger Q Z^\dagger Z : Q \rightarrow U Q$$

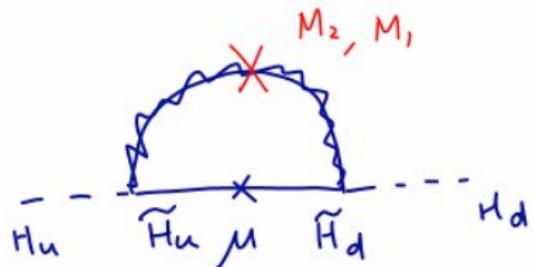
- A-term $A \tilde{Q} \tilde{u}^c H_u$



要求手征对称性破缺



- $B\mu$ -term $B\mu H_u H_d$



R-对称性

$$R : \theta \rightarrow e^{i\alpha} \theta, \bar{\theta} \rightarrow e^{-i\alpha} \bar{\theta}$$

$$Q \rightarrow e^{-i\alpha} Q, Q^\dagger \rightarrow e^{i\alpha} Q^\dagger$$

$$\{Q, R\} = -Q, \{Q^\dagger, R\} = +Q^\dagger$$

Chiral超场

$$\Phi = \phi + \theta\psi + \theta^2 F : \phi \rightarrow e^{ir_\Phi\alpha} \phi, \psi \rightarrow e^{i(r_\Phi-1)\alpha} \psi, F \rightarrow e^{i(r_\Phi-2)\alpha} F$$

Vector超场

$$V(x, \theta, \bar{\theta})^* = V : \lambda \rightarrow e^{i\alpha} \lambda$$

Suprion场Z ($R_Z = 0$)

$$\int d^2\theta \mathcal{W}_\alpha \mathcal{W}^\alpha \frac{Z}{M_X} \rightarrow \int d^2\theta \theta^2 \frac{\langle F_Z \rangle}{M_X} \lambda \lambda$$



类质量项的SUSY修正

$$\mathcal{W} = -y_u Q u^c H_u - y_d Q d^c H_d - y_e \ell e^c H_d + \mu H_u H_d$$

SUSY修正 $Q d^c \bar{H}_u$

Field	Q	u^c	e^c	d^c	ℓ	H_u	H_d	θ
R-charge	$\frac{1}{5}$	$\frac{1}{5}$	$\frac{1}{5}$	$\frac{7}{5}$	$\frac{7}{5}$	$\frac{8}{5}$	$\frac{2}{5}$	1
PQ	0	0	0	-1	-1	0	1	0

$$R[Q d^c \bar{H}_u] : \quad \frac{1}{5} + \frac{7}{5} - \frac{8}{5} = 0$$

$$PQ[Q d^c \bar{H}_u] : \quad 0 + (-1) + 0 = -1$$

SUSY修正必须破坏PQ对称性和R-对称性



类质量项的SUSY修正

- 手征对称性破缺: y
- 弱电对称性破缺: v_u, v_d
例如 $\tilde{H} - \tilde{W}$ 混合

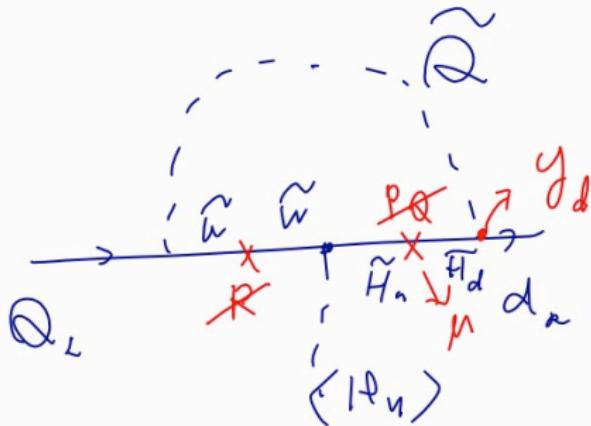
$$N = \begin{pmatrix} M_1 & 0 & -g_1 v_d / \sqrt{2} & g_1 v_u / \sqrt{2} \\ 0 & M_2 & g_2 v_d / \sqrt{2} & -g_2 v_u / \sqrt{2} \\ -g_1 v_d / \sqrt{2} & g_2 v_d / \sqrt{2} & 0 & -\mu \\ g_1 v_u / \sqrt{2} & -g_2 v_u / \sqrt{2} & -\mu & 0 \end{pmatrix}$$

- Peccei-Quinn对称性破缺: $\mu, B\mu$
- R -对称性破缺: $M_1, M_2, M_3, A_i, B\mu$



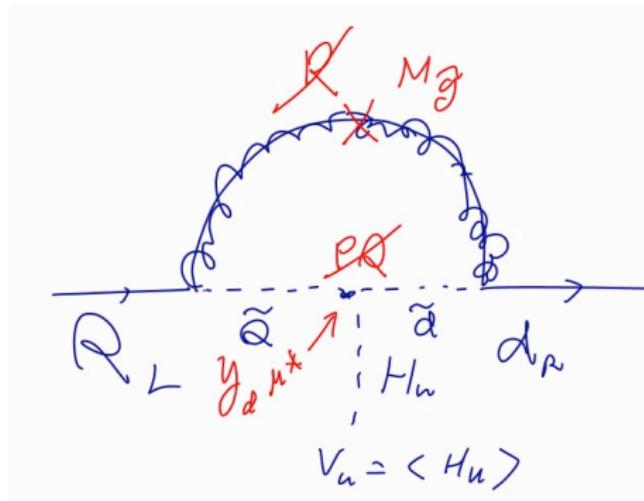
b 夸克质量修正 Δm_b

$$m_b = y_b v_d + \Delta m_b$$



b 夸克质量修正 Δm_b

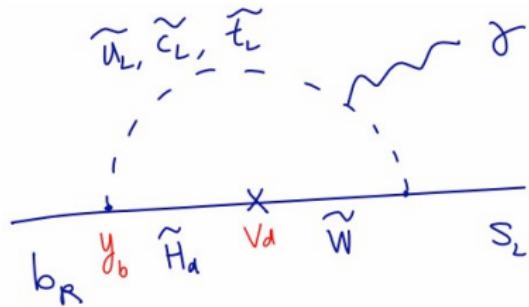
$$m_b = y_b v_d + \Delta m_b$$



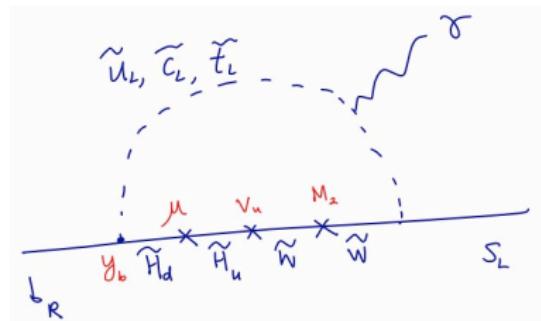
$$|F_d|^2 \ni y_d \mu^* H_u^* \tilde{Q} \tilde{d}$$



$b \rightarrow s\gamma$: v_d 贡献



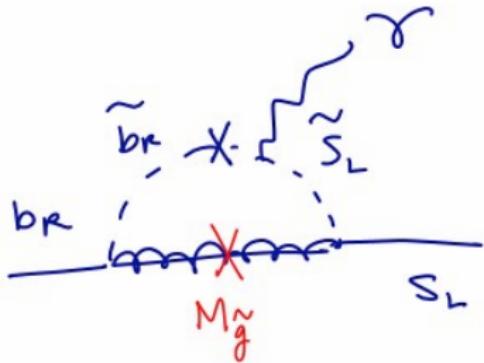
$b \rightarrow s\gamma$: v_u 贡献



$$g_2 \tilde{W} \tilde{H}_u \langle H_u^0 \rangle$$



$b \rightarrow s\gamma$: v_u 贡献



$$|F_{H_d}|^2 \ni y_d \tilde{Q} \tilde{d}^c \mu^* H_u^*$$

$$\delta_{23}^2 : y_d \mu^* v_u^* \tilde{b}_R^* \tilde{s}_L$$



How to interprete the 125 GeV resonance

- Standard Model Higgs boson?
- Composite Higgs?
-
- Higgs boson in MSSM
 - the light Higgs boson h at 125 GeV? (push the limit)
 - the heavy Higgs boson H at 125 GeV? while h evades all direct searches (or h around 98 GeV?)
- A. Belyaev, Q. -H. Cao, D. Nomura, K. Tobe and C. -P. Yuan, Phys. Rev. Lett. **100**, 061801 (2008).
- N. D. Christensen, T. Han and S. Su, Phys. Rev. D **85**, 115018 (2012).
- K. Hagiwara, J. S. Lee and J. Nakamura, arXiv:1207.0802 [hep-ph].
- R. Benbrik, M. G. Bock, S. Heinemeyer, O. Stal, G. Weiglein and L. Zeune, arXiv:1207.1096 [hep-ph].
- G. Belanger, U. Ellwanger, J. F. Gunion, Y. Jiang, S. Kraml and J. H. Schwarz, arXiv:1210.1976 [hep-ph].
- M. Drees, arXiv:1210.6507 [hep-ph].
- P. Bechtle, S. Heinemeyer, O. Stal, T. Stefaniak, G. Weiglein and L. Zeune, arXiv:1211.1955 [hep-ph].

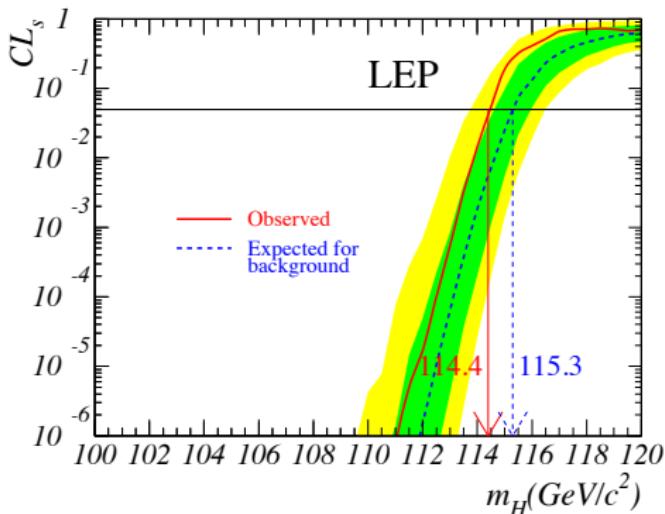


LEP excludes a SM-like Higgs to 114.4 GeV (in both SM and MSSM)

Higgs Mass Lower Bound

LEP excludes a
114.4 GeV Higgs
boson @ 95% CL.
(expected 115.3
GeV)

	Exp.	Obs.
ALEPH	113.5	111.4
DELPHI	113.3	114.1
L3	112.4	112.0
OPAL	112.7	112.7



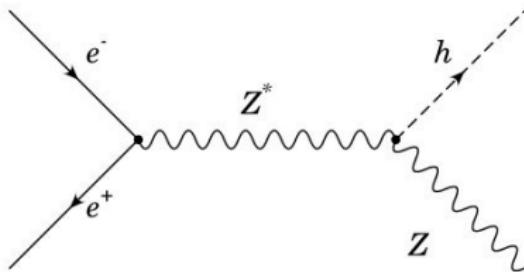
MSSM is a natural 2HDM

- Superpotential is holomorphic and \bar{H} is forbidden in superpotential.
- \tilde{H}_u, \tilde{H}_d contributes to anomaly $[SU(2)_L]^2 U(1)_Y, \dots$ and Witten Anomaly

$$W = y_u Q u^c H_u + y_d Q d^c H_d + y_e \ell e^c H_d + \mu H_u H_d$$



To evade the LEP bound: reducing g_{ZZh}



A simple realization: to make h H_d -like and take a small v_d

$$\begin{pmatrix} h \\ H \end{pmatrix} = \begin{pmatrix} -\sin \alpha & \cos \alpha \\ \cos \alpha & \sin \alpha \end{pmatrix} \begin{pmatrix} \text{Re } H_d \\ \text{Re } H_u \end{pmatrix}$$

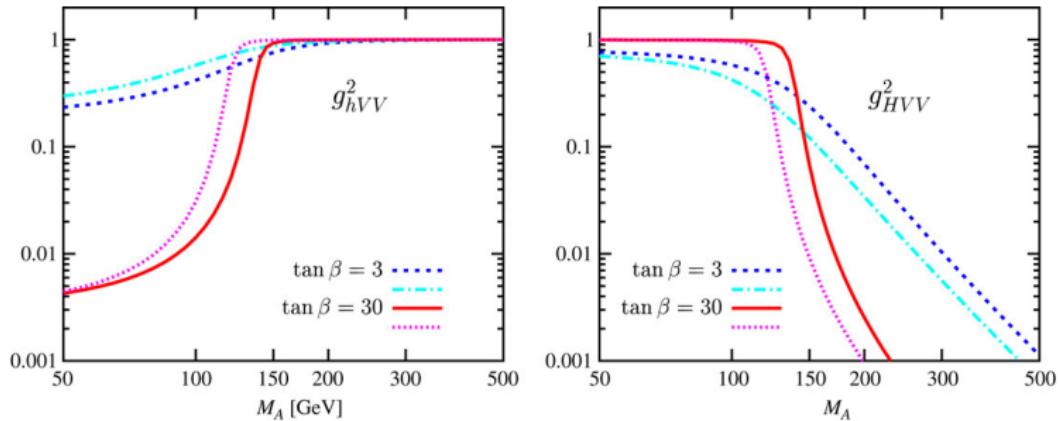
$$\frac{\tan 2\alpha}{\tan 2\beta} = \frac{M_A^2 + m_Z^2}{M_A^2 - m_Z^2}$$

In the limit of small v_d (large $\tan \beta$, $\sin \beta \rightarrow 1$)

Taking $M_A \rightarrow 0$, $\sin \alpha \rightarrow -1$

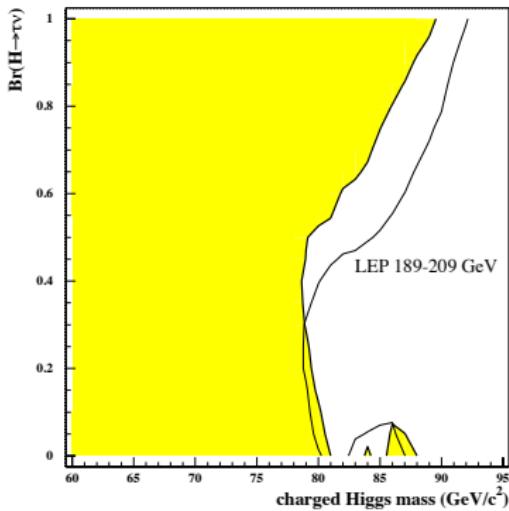
$$\beta \rightarrow \frac{\pi}{2}, \alpha \rightarrow -\frac{\pi}{2}, g_{ZZh} \sim \sin(\beta - \alpha) \rightarrow 0$$





Qualitatively, smaller $M_A \rightarrow$ smaller g_{ZZh}

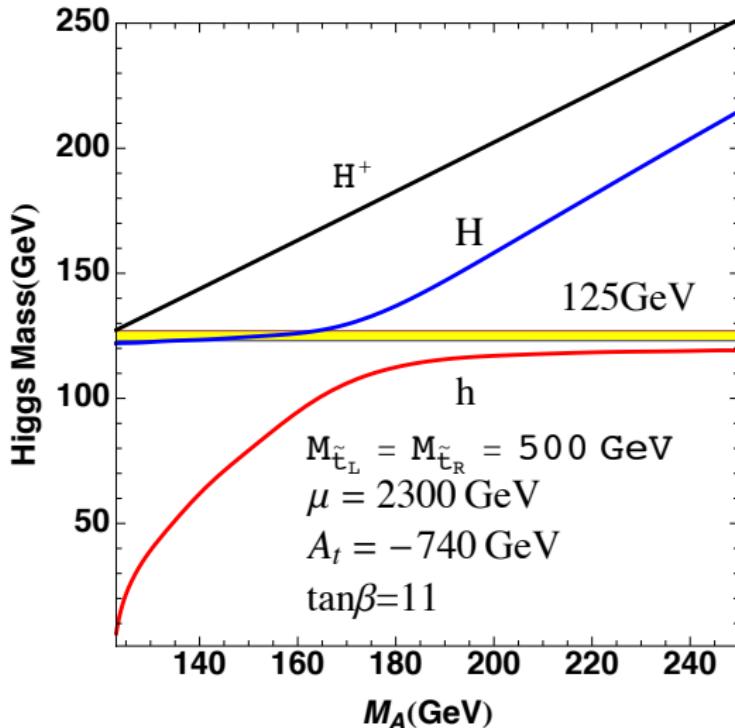
Lower bound of M_A from LEP bound on charged Higgs



non-decoupling limit ($M_A \rightarrow m_Z$) may survive the LEP direct search bound (via $Z h$) and charged Higgs search



At tree level, $M_A \rightarrow m_Z$, $M_h \rightarrow M_H$: nondecoupling
With radiative corrections:



Large $\tan \beta$ and $\sin \alpha \rightarrow -1$ lead to $M_h \simeq \mathcal{M}_{11}$, $M_H \simeq \mathcal{M}_{22}$

$$\begin{aligned} M_H^2 \simeq \mathcal{M}_{22}^2 &\simeq M_A^2 \cos^2 \beta + m_Z^2 \sin^2 \beta \left(1 - \frac{3}{8\pi^2} y_t^2 t \right) \\ &+ \frac{y_t^4 v^2}{16\pi^2} 12 \sin^2 \beta \left\{ t \left[1 + \frac{t}{16\pi^2} (1.5y_t^2 + 0.5y_b^2 - 8g_3^2) \right] \right. \\ &+ \frac{A_t \tilde{a}}{M_{SUSY}^2} \left(1 - \frac{A_t \tilde{a}}{12M_{SUSY}^2} \right) \left[1 + \frac{t}{16\pi^2} (3y_t^2 + y_b^2 - 16g_3^2) \right] \Big\} \\ &- \frac{v^2 y_b^4}{16\pi^2} \sin^2 \beta \frac{\mu^4}{M_{SUSY}^4} \left[1 + \frac{t}{16\pi^2} (9y_b^2 - 5y_t^2 - 16g_3^2) \right] + \mathcal{O}(y_t^2 m_Z^2) \end{aligned}$$

M. S. Carena, J. R. Espinosa, M. Quiros and C. E. M. Wagner, Phys. Lett. B 355, 209 (1995) [hep-ph/9504316].



Consequences of Non-decoupling

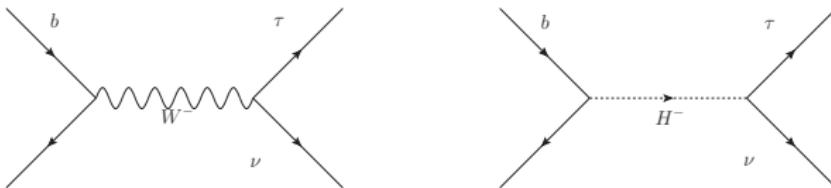
Non-decoupling scenario may evade all constraints from direct search experiments but

- H^\pm are around ($M_{H^\pm}^2 = M_A^2 + m_W^2$ at tree level)
Is the scenario flavor safe?
- Light Higgs bosons can enhance spin-independent neutralino-nuclei scattering
If DM consists of only neutralino, how about bounds from direct detection?



Tree level H^\pm : $B_u \rightarrow \tau\nu$ in 2HDM and SUSY

Farvah Mahmoudi and Oscar Stal

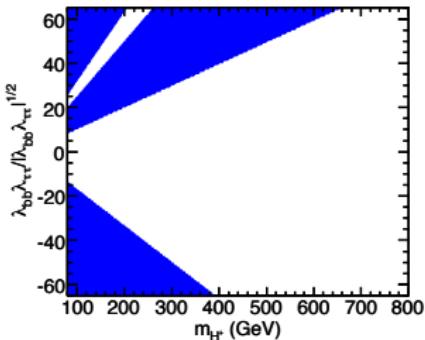


- $\frac{BR(B^+ \rightarrow \tau^+ \nu)_{\text{MSSM}}}{BR(B^+ \rightarrow \tau^+ \nu)_{\text{SM}}} = \left| 1 - \frac{m_B^2}{M_{H^+}^2} \frac{\tan^2 \beta}{(1 + \epsilon_0^* \tan \beta)(1 + \epsilon_l \tan \beta)} \right|^2$
- $\tan \beta \sim 10$: ϵ_0^* and ϵ_l below 1%
MSSM corrections to *d*-type quarks and lepton mass matrix have been neglected
- nondecoupling: $M_{H^+} \sim 130$ GeV
MSSM prediction: 20% – 30% smaller than the SM value



Tree level H^\pm : $B_u \rightarrow \tau\nu$ in 2HDM and SUSY

Farvah Mahmoudi and Oscar Stal

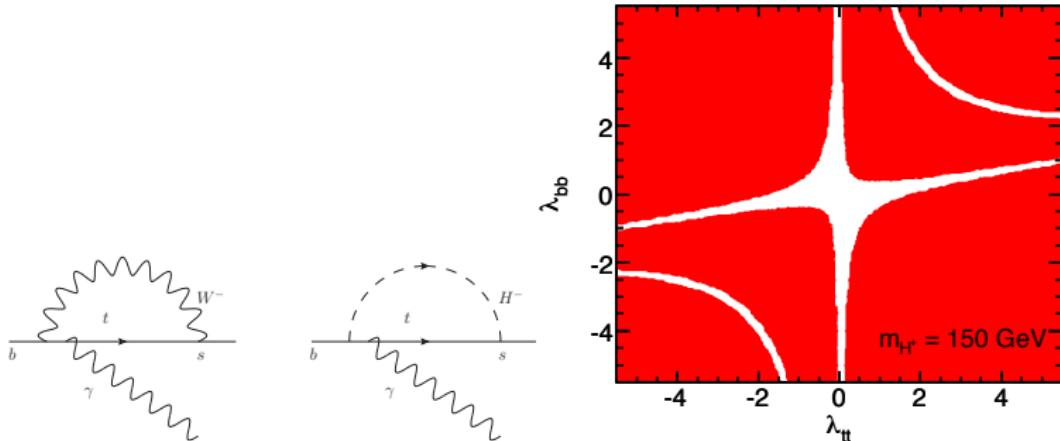


- $\frac{BR(B^+ \rightarrow \tau^+ \nu)_{\text{MSSM}}}{BR(B^+ \rightarrow \tau^+ \nu)_{\text{SM}}} = \left| 1 - \frac{m_B^2}{M_{H^+}^2} \frac{\tan^2 \beta}{(1 + \epsilon_0^* \tan \beta)(1 + \epsilon_l \tan \beta)} \right|^2$
- nondecoupling: $M_{H^+} \sim 130$ GeV, $\tan \beta \sim 10$
MSSM prediction: 20% – 30% smaller than the SM,
consistent with the new Belle data
SM prediction: $(0.95 \pm 0.27) \times 10^{-4}$
world average before 2012: $(1.65 \pm 0.34) \times 10^{-4}$
Belle: $0.72^{+0.29}_{-0.27} \times 10^{-4}$ (new)



$B \rightarrow X_s \gamma$ in general 2HDM

Farvah Mahmoudi and Oscar Stal



- light H^+ enhances $B \rightarrow X_s \gamma$
- type-II 2HDM: $M_{H^+} > 300 \text{ GeV}$
- nondecoupling: $M_{H^+} \sim 130 \text{ GeV}$
non-trivial SUSY setup to cancel H^+ contribution



$B \rightarrow X_s \gamma$ in MSSM

Helicity must be flipped in the involved quark states: m_b insertion in SM

- $U(3)_Q \times U(3)_d$ chiral symmetry breaking
- Electroweak symmetry breaking

$$W = Qu^c H_u + Qd^c H_d + \ell e^c H_d + \mu H_u H_d$$

SUSY correction $Qd^c \bar{H}_u$

Field	Q	u^c	e^c	d^c	ℓ	H_u	H_d	θ
R-charge	$\frac{1}{5}$	$\frac{1}{5}$	$\frac{1}{5}$	$\frac{7}{5}$	$\frac{7}{5}$	$\frac{8}{5}$	$\frac{2}{5}$	1
PQ	0	0	0	-1	-1	0	1	0

$$R[Qd^c \bar{H}_u] : \quad \frac{1}{5} + \frac{7}{5} - \frac{8}{5} = 0$$

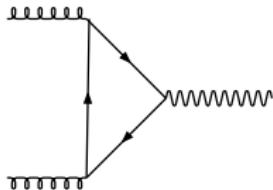
$$PQ[Qd^c \bar{H}_u] : \quad 0 + (-1) + 0 = -1$$

SUSY correction must break PQ and R-symmetry



2HDM has Peccei-Quinn symmetry

(DFSZ axion, 1981).



$$\begin{aligned} A_{[SU(3)_C]^2 U(1)} &= 3\alpha + \frac{3}{2}(2(q - \alpha) + (u - \alpha) + (d - \alpha)) \\ &= 3\alpha - \frac{3}{2}(h_u + h_d) \end{aligned}$$

$$q + u + h_u = 2\alpha, q + d + h_d = 2\alpha$$

$$h_u + h_d \neq 2\alpha \rightarrow A_3 \neq 0$$

$M_{\text{PQ}} \sim M_{\text{Intermediate}}$, Kim-Nilles



Peccei-Quinn symmetry breaking in MSSM

$$W = \mu H_u H_d \quad \cancel{PQ}$$

Another ~~PQ~~ source, (proportional to μ)

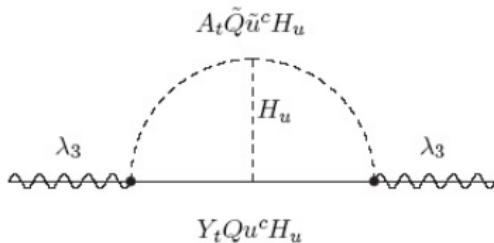
$$F_{H_d} = \frac{\partial W}{\partial H_d} = y_d Q d^c + y_e \ell e^c + \mu H_u$$

$$V \ni |F_{H_d}|^2 = y_d \mu^* H_u^* \tilde{Q} \tilde{d} + y_e \mu^* H_u^* \tilde{\ell} \tilde{e}$$

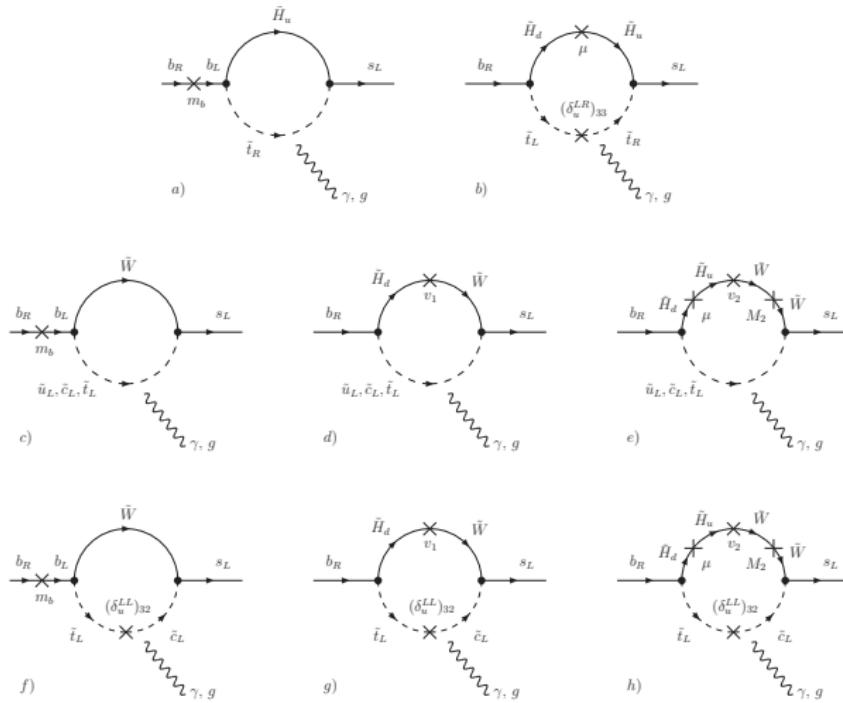


Chiral R -symmetry in SUSY

$$\begin{aligned}\mathcal{L}_{\text{soft}} \ni & m_{\tilde{f}}^2 |\tilde{f}|^2 \quad R-\text{invariant} \\ & + M_{\frac{1}{2}} \lambda \lambda + A_u \tilde{Q} \tilde{u} H_u + \dots \quad \cancel{\mathcal{R}} \\ & + B \mu H_u H_d \quad \cancel{\mathcal{R}}, \cancel{PQ}\end{aligned}$$

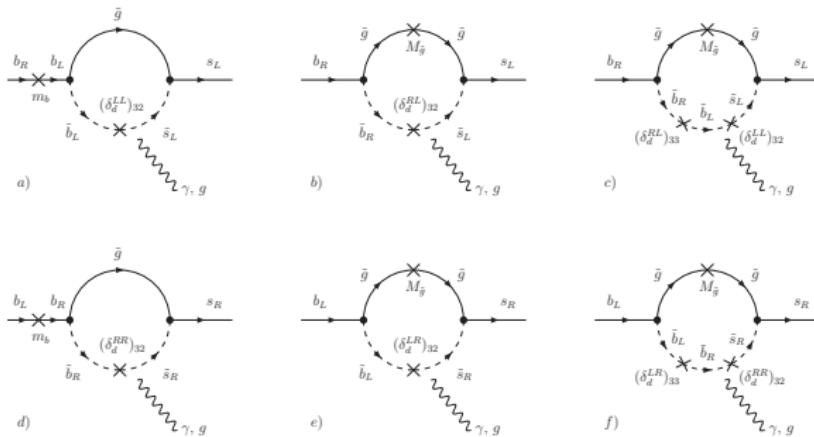


$B \rightarrow X_s \gamma$ in MSSM



Light stop helps to cancel the H^\pm contribution [Top right figure]

$B \rightarrow X_s \gamma$ in MSSM



Light stop helps to cancel the H^\pm contribution [Top right figure]



$B \rightarrow X_s \gamma$ in MSSM

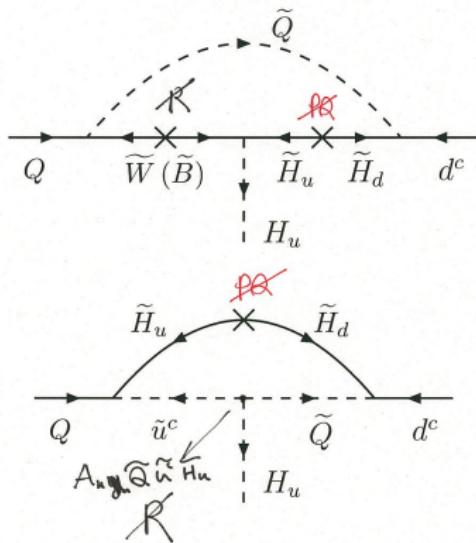
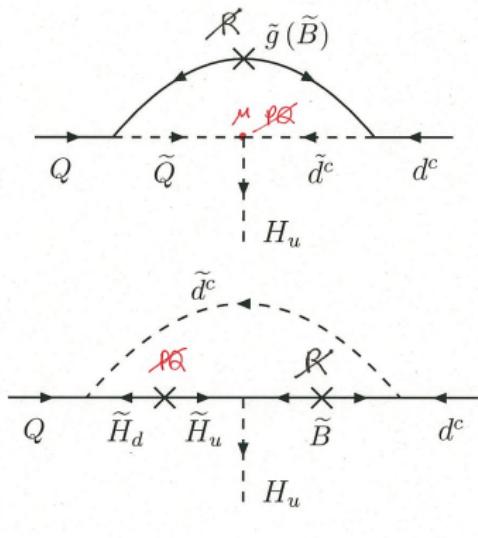
Helicity must be flipped in involved quark states

Breaking $U(3)_Q \times U(3)_d$ chiral and electroweak symmetries

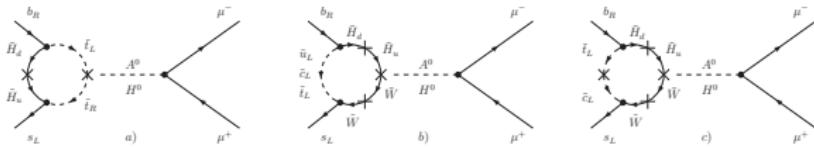
- m_b insertion
wino-stop contribution suppressed by Super-GIM if degenerate squark masses.
- v_d insertion (not important due to large $\tan \beta$)
- v_u insertion (effectively $10 \cdot 5^c \cdot H_u^*$ -like coupling)
- chargino penguins from v_u insertion destructively interfere with the SM and charged Higgs if $\mu A_t < 0$
- light stop helps the cancellation as $\frac{\mu A_t}{M_t^2}$
- gluino penguins important: enhanced by $\mu \tan \beta$, $M_{\tilde{g}}/m_b$



Contribute to m_b at the same time!



$B_s \rightarrow \mu^+ \mu^-$ in MSSM



- SM: $(3.27 \pm 0.23) \times 10^{-9}$ due to small muon mass $m_\mu^2/m_{B_S}^2$
- LHCb: $3.2^{+1.5}_{-1.2} \times 10^{-9}$ (Nov. 12, 2012)
- MSSM: leading Higgs penguin diagrams $\propto \tan^6 \beta$
- if $\tan \beta \sim 10$, all 1-loop diagrams have to be considered:
e.g., charged Higgs diagrams $\propto \tan^4 \beta$
- nondecoupling \rightarrow light M_A
 $B_s \rightarrow \mu^+ \mu^-$ is even more sensitive as the neutral Higgs bosons are all light: $\tan^6 \beta/M_A^4$ (Chao-Shang Huang, Wei Liao, Qi-Shu Yan, Shou-Hua Zhu, 2000)

General Constraints

- $M_H : 125 \pm 2 \text{ GeV}$
- $R_{\gamma\gamma} = \sigma_{\text{obs}}^{\gamma\gamma} / \sigma_{\text{SM}}^{\gamma\gamma} : 1 \sim 2$
- LEPII+Tevatron+LHC Higgs search bounds
- $\text{BR}(B \rightarrow X_s \gamma) < 5.5 \times 10^{-4}$
Experimental: $(3.43 \pm 0.22) \times 10^{-4}$
SM NNLO: $(3.15 \pm 0.23) \times 10^{-4}$
FeynHiggs SM NLO predicton: $(3.8) \times 10^{-4}$
- $\text{BR}(B_s \rightarrow \mu^+ \mu^-) < 6 \times 10^{-9}$
Experimental upper limit: 4.2×10^{-9}
SM prediction $(3.27 \pm 0.23) \times 10^{-9}$
SUSYFlavor SM predicton 4.8×10^{-9} (Hadronic parameters ?)
- SUSYFlavor2.01, FeynHiggs2.9.2, HiggsBound3.8.0



Input

$$M_{\tilde{Q}_{1,2}} = M_{\tilde{u}_{1,2}} = M_{\tilde{d}_{1,2,3}} = M_{\tilde{L}_{1,2,3}} = M_{\tilde{e}_{1,2,3}} = 1 \text{ TeV} ,$$

$$M_1 = 200 \text{ GeV}, M_2 = 400 \text{ GeV}, M_3 = 1200 \text{ GeV} .$$

$M_{\tilde{Q}_3} = M_{\tilde{t}} = 200 \text{ GeV}, 300 \text{ GeV}, 500 \text{ GeV}$ and 1 TeV .

$$M_A : 95 \sim 150 \text{ GeV}$$

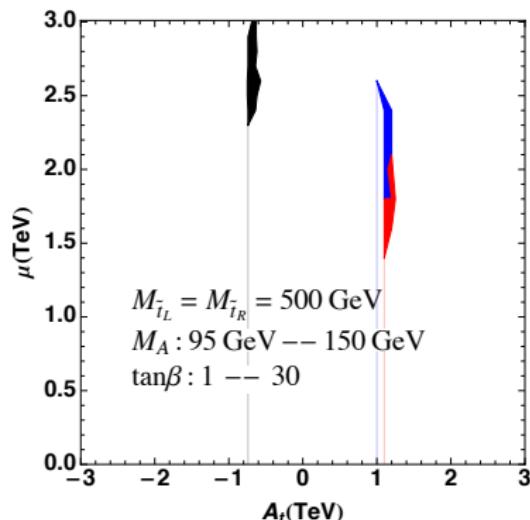
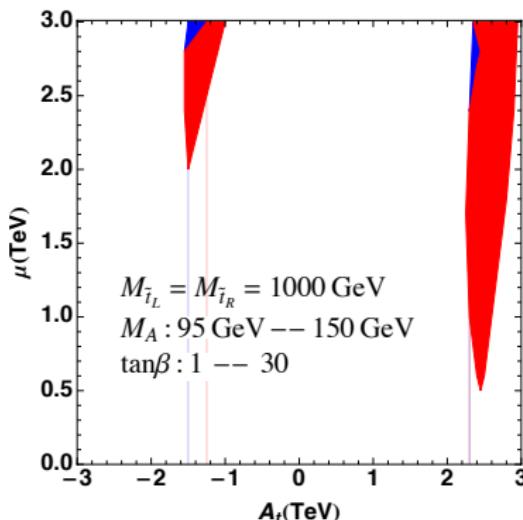
$$\tan \beta : 1 \sim 30$$

$$\mu : 200 \text{ GeV} \sim 3 \text{ TeV}$$

$$A_u = A_d = A_\ell : -3 \sim 3 \text{ TeV}$$

Light stau enhances the diphoton but irrelevant to $b \rightarrow s$ transition





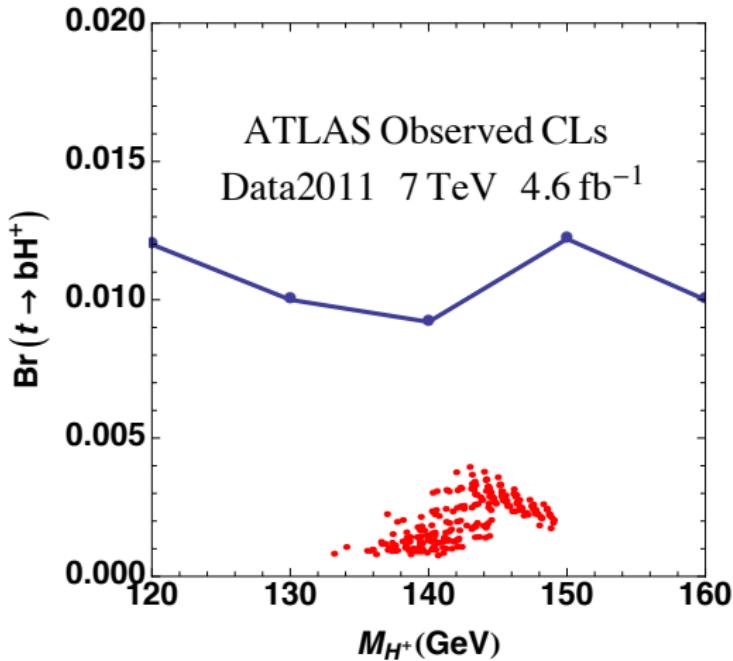
- no survivors when assuming 200GeV and 300GeV stop, reduced $gg \rightarrow H$ (cancels top-quark loop)
- red: $M_H : 125 \pm 2$ GeV, $R_{\gamma\gamma} : 1 - 2$, and combined direct search bounds
- blue: $B \rightarrow X_s \gamma$
- black: $B_s \rightarrow \mu^+ \mu^-$

Typical survival points are $M_A \sim 140 \sim 150$ GeV, $\tan \beta \sim 10$



$t \rightarrow bH^+$ at the LHC

Assuming $\text{BR}(H^+ \rightarrow \tau^+ \nu_\tau) = 100\%$



Way below the ATLAS bounds



H is most H_u and $v_u \gg v_d$ which dominates v

- Htt is close to 1: $gg \rightarrow H$ similar to SM rate
- HWW is similar to SM: $\Gamma(H \rightarrow \gamma\gamma)$ similar to SM values (W-loop dominates)
- $\Gamma(H \rightarrow WW^* \rightarrow 2\ell 2\nu)$ and $\Gamma(H \rightarrow ZZ^* \rightarrow 4\ell)$ similar to SM values

Decay BRs may be similar to SM.

Light stau can enhance the diphoton partial width.

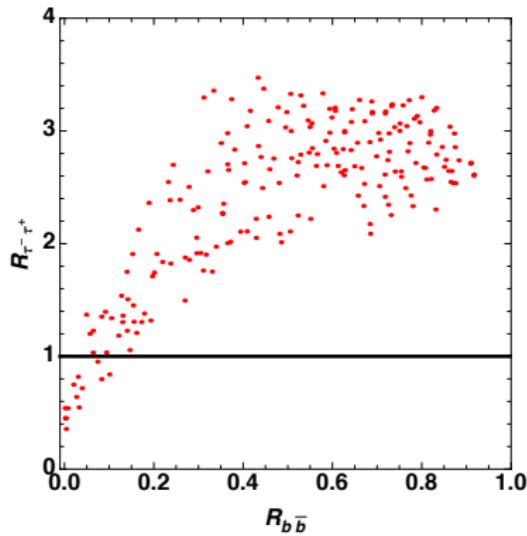
Reduced Hbb can also enhance the $R_{\gamma\gamma}$



$$H \rightarrow \tau^+ \tau^-$$

Large PQ and R -symmetry breaking to suppress the flavor violation would lead to large correction in Δm_b but not to m_τ which is only bino contribution.

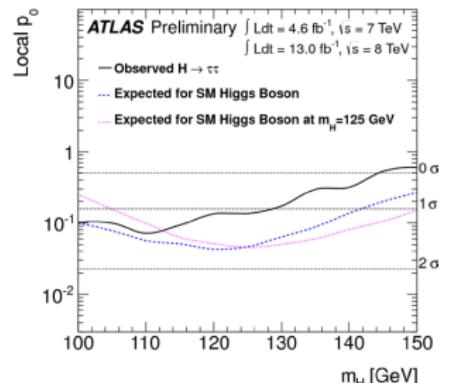
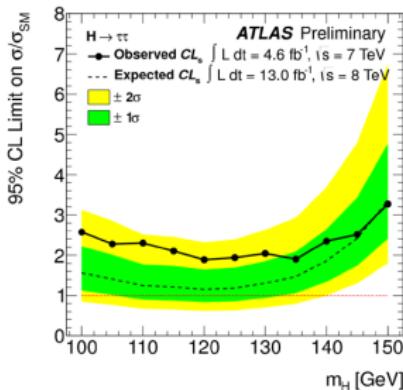
$$\frac{\Gamma(H \rightarrow \tau^+ \tau^-)}{\Gamma(H \rightarrow b\bar{b}) + \Gamma(H \rightarrow WW^*) + \Gamma(H \rightarrow ZZ^*) + \dots}$$



$\tau^+\tau^-$ Channel

Kevin Einsweiler for HCP 2012

The results are consistent with either the background hypothesis, or the SM Higgs hypothesis. The best-fit μ value at 125 GeV is $\mu = 0.7 \pm 0.7$

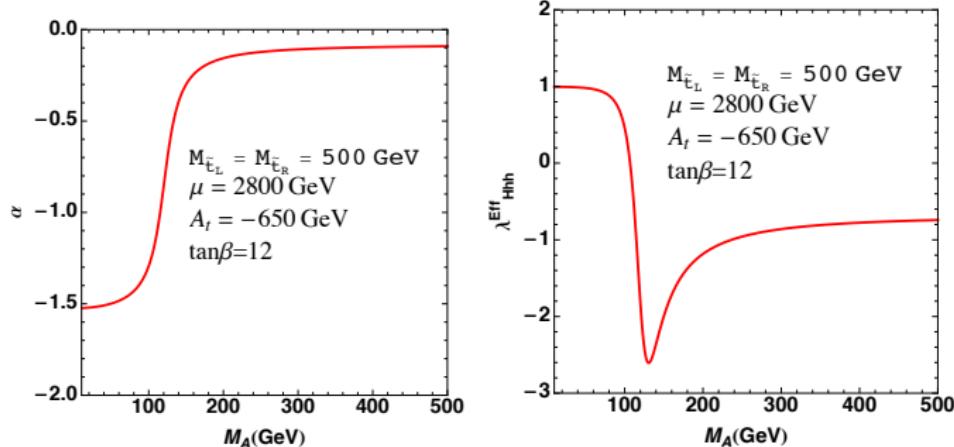


No Enhanced $\tau^+\tau^-$ observed!



New $H \rightarrow hh$ Channel

Highly fine-tuned though

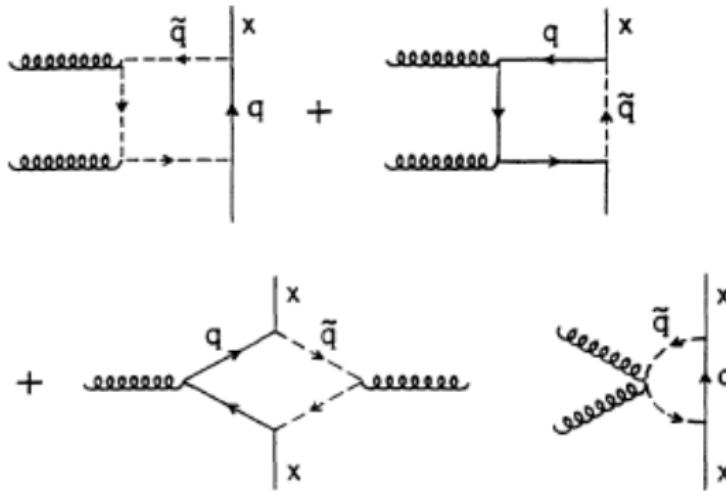


- $e^+e^- \rightarrow Ah$ with $A \rightarrow b\bar{b}$, $A \rightarrow hZ$ for $M_h \sim 20 \text{ GeV}$, b s are soft. Evade the LEPII search of $4b + 2b2\tau$
- WH/ZH with $H \rightarrow hh \rightarrow 2b2\tau + 4b + 4\tau$ combined requires 100 fb^{-1} at 14 TeV LHC. (gluon fusion requires 300 fb^{-1})

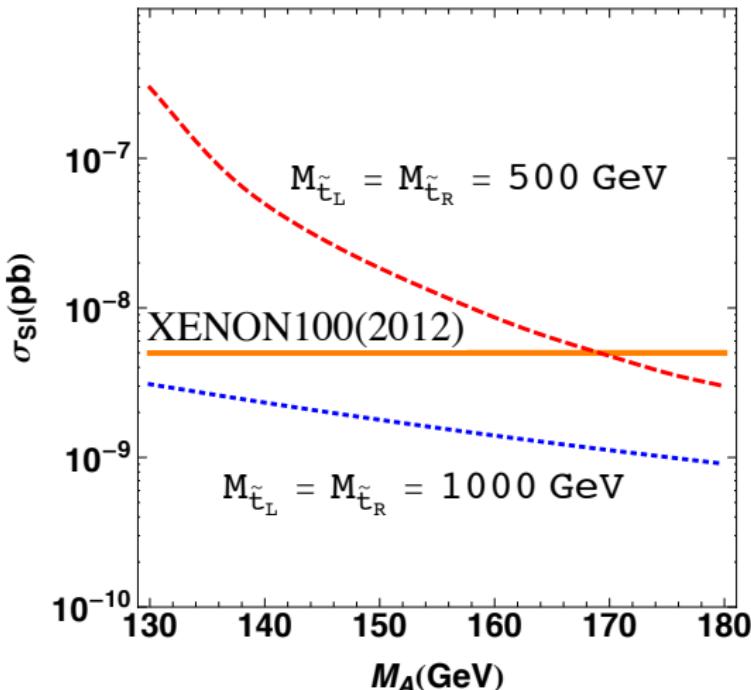


DM Direct Detection

- Light higgs h and H may significantly enhance the spin-independent neutralino-nuclei cross section through Higgs exchange.
- Light Stop may further enhance this cross section due to loop contribution to neutralino-gluon scattering.



DM Direct Detection



For 500 GeV stop and $M_A < 170$ GeV, XENON100 put strong constraint over this scenario.

Irrelevant if neutralino dark matter is not the only DM



Conclusions

- MSSM: $m_h > 120\text{GeV}$ is nontrivial \Rightarrow nondecoupling
- LEP bounds: $\begin{cases} g_{ZZh} \downarrow & \Rightarrow \text{small } M_A \\ m_{H^+} & \Rightarrow M_A > 80\text{GeV} \end{cases}$
- Is the scenario flavor safe as $m_{H^+} \sim m_A$? The strong constraint comes from $b \rightarrow s$ transition:
 - (I) large PQ and R symmetry breaking with $\mu A_t < 0$
 - (II) a light stop $M_{\tilde{t}} \sim 500\text{ GeV}$
- Consequence:
$$\begin{cases} (I) & \Rightarrow \text{large } \Delta m_b \Rightarrow R_{\tau\tau} \uparrow \Rightarrow H \rightarrow h \text{ to make } R_{\tau\tau} < 1 \\ (II) & \Rightarrow \text{strongly constrained by XENON100} \end{cases}$$

Thank you!

